

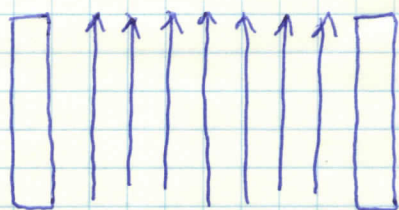
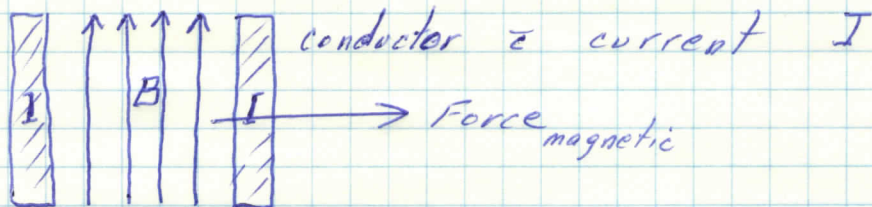
P-1

5 Oct Michels - Solar Wind

 $E \& M$

Plasma Charge conserved
Neutral
Diamagnetic
Free in flux

Magnetic field pressure



tends to move conductor

There is press. assoc. $\&$ energy density assoc. $\bar{c}$ field

$$\text{Press}_{\text{mag}} = \frac{B^2}{2\mu_0} \quad \mu_0 = \text{energy density}$$

$$\oint B dl = \int \mu_0 J ds$$

$$BL = \mu_0 I$$

There is $\uparrow$ in pressure on ionized gas in fieldEnergy of particle in magnetic field remains constant
 $\&$ shows from $F = e\mathbf{v} \times \mathbf{B}$

$$F \cdot \mathbf{v} = e \mathbf{v} \cdot \mathbf{v} \times \mathbf{B}$$

$$= e \mathbf{v} \times \mathbf{v} \cdot \mathbf{B}$$

||
0

Gradient drift - mm

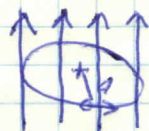
P-2 5 Oct Michels Solar Wind -
Curvature drift -

Adiabatic Invariance: describes general motion
of particles in field - slow changes in fields

$$Invariant = \oint \mathbf{p} \cdot d\mathbf{x}$$

Invariants

① Moment



$$\mu \equiv iA = \frac{e_{charge}}{T_{period}} = \frac{1}{2} \frac{mv_{\perp}^2}{B} = \frac{W_{\perp}}{B}$$

Find radius & velocity -

Balance forces - centrifugal

$$F = e v B = \frac{mv^2}{a} \quad a_{radius} = \frac{mv}{eB}$$

$$T = \frac{2\pi a}{Velocity}$$



Flux enclosed = constant

$$= \oint B ds = \pi B a^2$$

$$= (2\pi m) \frac{1}{2} \frac{mv^2}{B}$$

② Longitudinal

$$I = LV$$



③ Flux

Earth's Mag. Field $\sim 5 \text{ Gauss} = 5 \times 10^4 \gamma$ $\gamma = 10^{-5} \text{ G}$
 $= 10^{-9} \text{ Weber/m}^2$

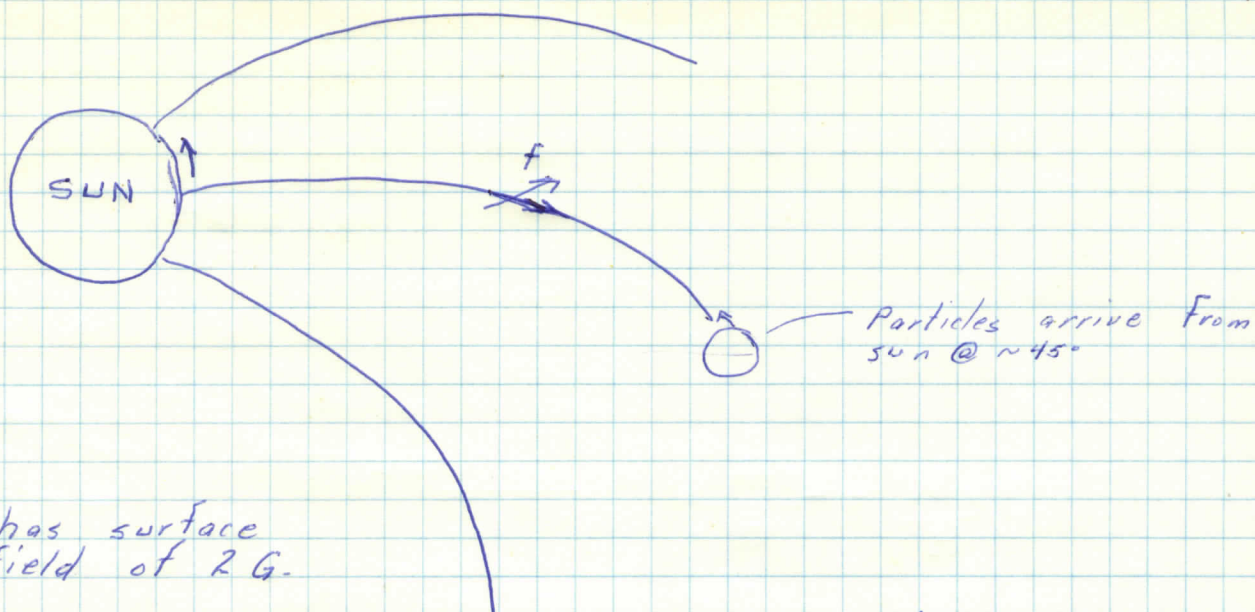
50000 $\gamma \pm 100 \gamma$ is typical of earth

Magnetic variations on earth were correlated to
sunspots.

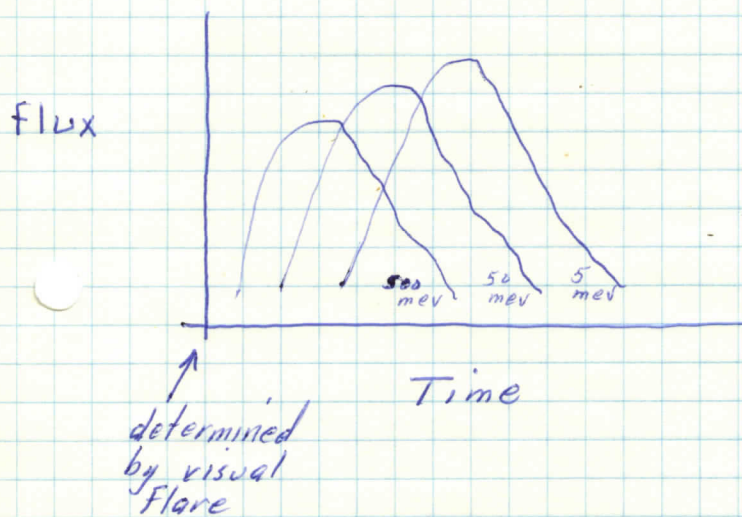
P-3

5 Oct Michels

Solar Wind



Sun has surface mag. field of 2 G.



by multiplying
by distance
& normalizing
altitude

